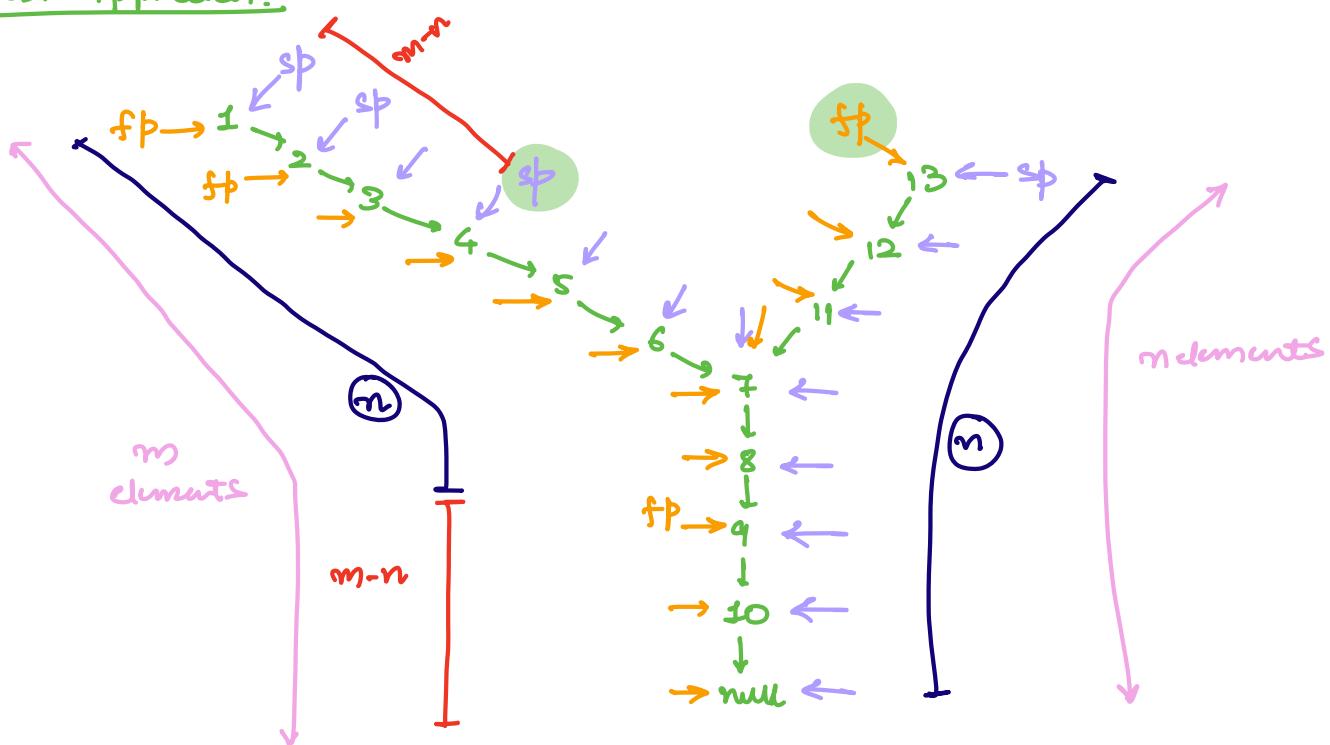


Intersection of 2 LL:



$$\begin{aligned} TC &: m+n \\ &= O(m+n) \\ SC &: O(1) \end{aligned}$$

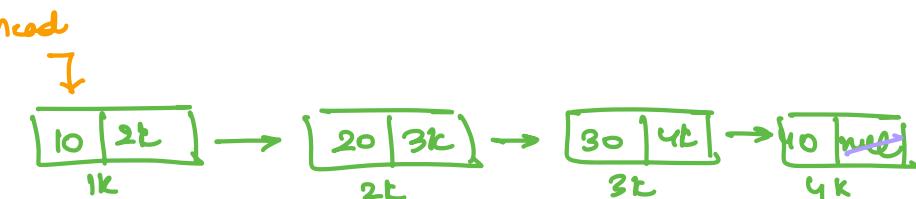
Best Approach:



$$\begin{aligned} TC &: \underbrace{\frac{n + (m-n)}{m}}_{m} + m+n \\ &= O(m+n) \\ SC &: O(1) \end{aligned}$$

## Time Complexity:

### Head:



Display:  $O(n)$

Size:  $O(n)$

Get first:  $O(1)$

Get last:  $O(n)$

Get At:  $O(n)$

Add first:  $O(1)$

Add last:  $O(n)$

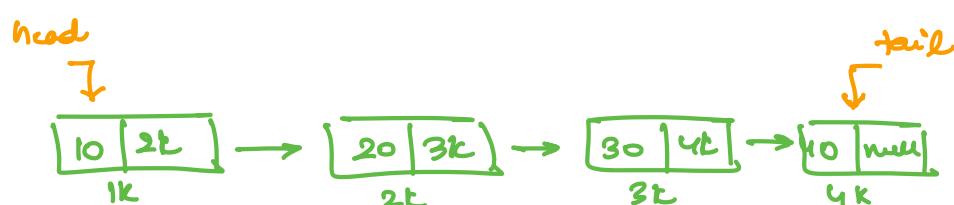
Add At:  $O(n)$

Remove first:  $O(1)$

Remove last:  $O(n)$

Remove At:  $O(n)$

### Head, Tail:



Display:  $O(n)$

Size:  $O(n)$

Get first:  $O(1)$

Get last: ~~O(n)~~  $O(1)$

Get At:  $O(n)$

Add first:  $O(1)$

Add last: ~~O(n)~~  $O(1)$

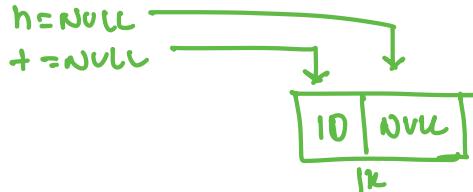
Add At:  $O(n)$

Remove first:  $O(1)$

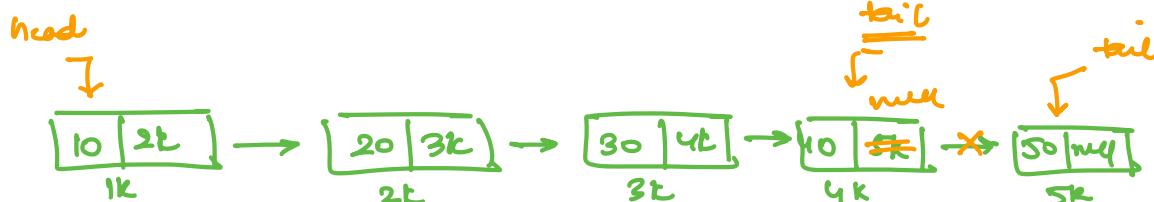
Remove last:  $O(n)$

Remove At:  $O(n)$

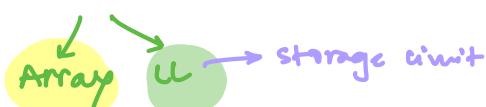
### Add:



Remove last:  
 $O(n)$



Stack



Case 1: LL Head

GF :  $O(1)$

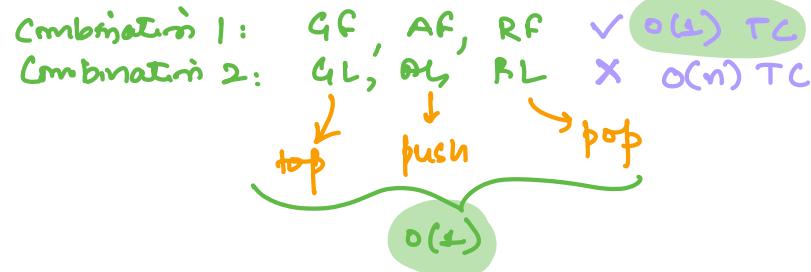
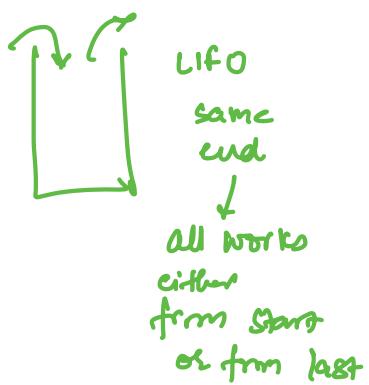
GL :  $O(n)$

AF :  $O(1)$

AL :  $O(n)$

RF :  $O(1)$

RL :  $O(n)$



Case 2: LL Head, Tail

$$GF: O(1)$$

$$GL: O(1)$$

$$AF: O(1)$$

$$AL: O(1)$$

$$RF: O(1)$$

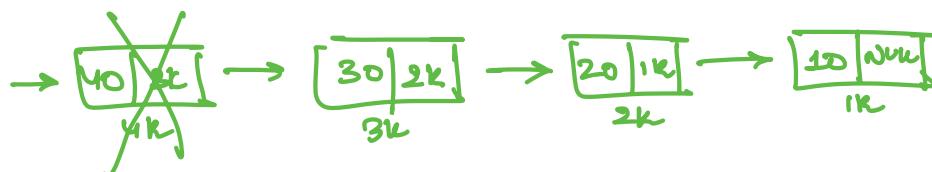
$$RL: O(n)$$

Combination 1: GF, AF, RF  $O(1)$  TC ✓

Combination 2:  $\frac{GL}{O(1)}, \frac{AL}{O(1)}, \frac{RL}{O(n)}$  ✗

Eg:

Push(10)  
 Push(20)  
 Push(30)  
 Push(40)  
 Pop()



Queue using LL



Case 1: LL Head

$$GF: O(1) \quad AF: O(1) \quad RF: O(1)$$

$$GL: O(n) \quad AL: O(n) \quad RL: O(n)$$

Combination 1: Add AF  $O(1)$  Delete RL  $O(n)$

Combination 2: AL  $O(n)$  RF  $O(1)$

You are not able to achieve  $O(1)$  TC for both add & delete

Case 2: LL H, T

GF: O(1)  
GL: O(1)

get-first()  
get-back()

AF: O(1)  
AL: O(1)

RF: O(1)  
RL: O(n)

Combination 1:

Add  
AF O(1)

Delete

RL O(n)

X

Combination 2:

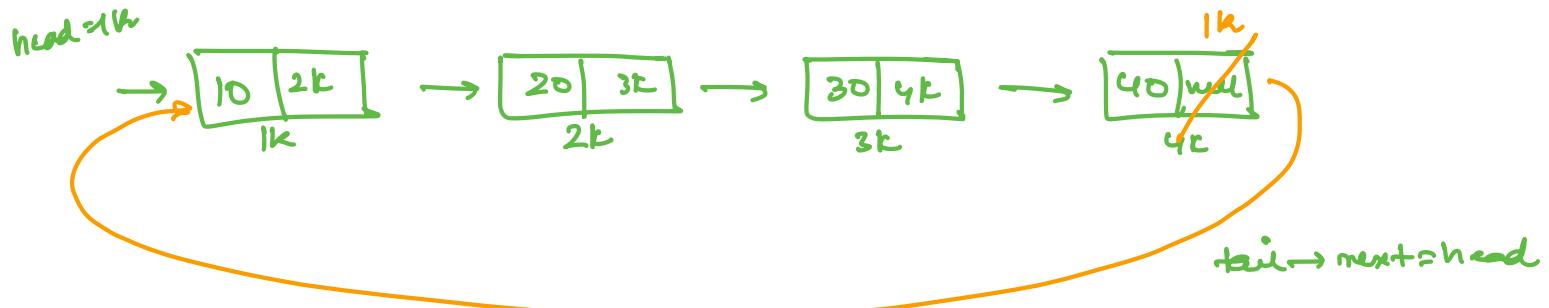
AL O(1)  
push

RF O(1)  
pop

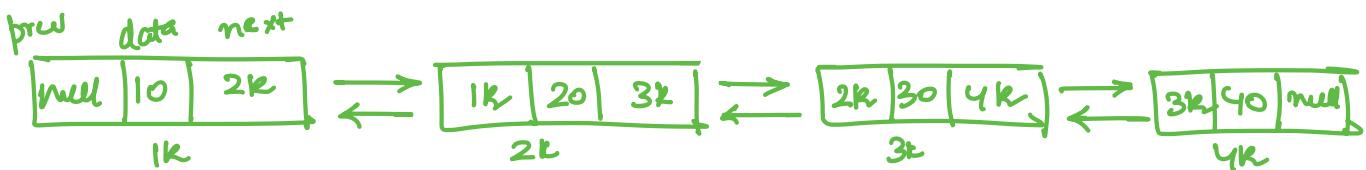
✓

Singly Linked List  $\xrightarrow{\text{H}}$   
 $\xrightarrow{\text{H,T}}$

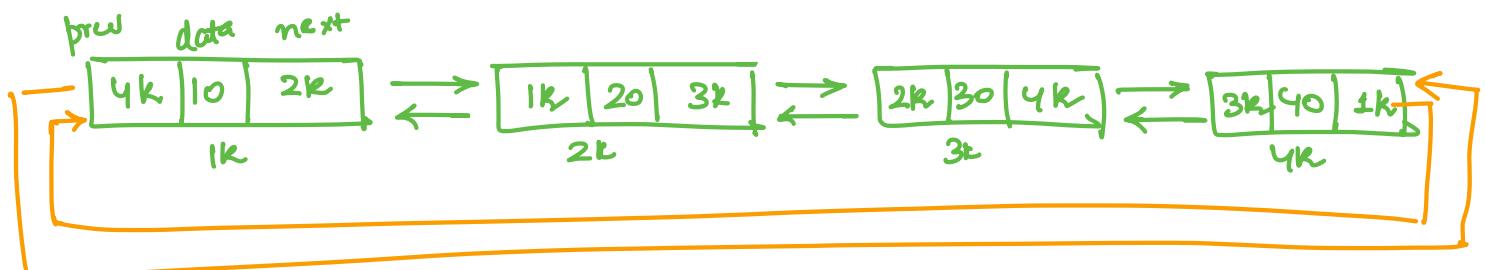
Circular Linked List:



Doubly Linked List



Doubly Circular Linked List



LL Q's.

$\rightarrow$  Detect, Remove Loop, Intersection, kReverse, LL Palindrome

K-Reverse:

$k=3$

